## Biometry practical 2

## Illustrated (imperfect) practical guide

## Preparatory work

1. Open in MS Excel the questionary data (file analysed already in previous practical),
2. rename 'Sheet3' to 'Praks2' (or 'Practical 2') and
3. make a copy of the data table (from worksheet 'Andmed') and paste it into the upper left corner of the worksheet 'Praks2'.

## Exercise 1.

Construct the frequency table to variable 'HEAD' and illustrate it with histogram. Format the histogram.

## Guide

To construct the frequency table to continuous variable there are at least tree possibilities in Excel - statistical procedure Histogram, function FREQUENCY and PivotTable. The first two assume that there is also formed the table containing upper limits of continuous variable values' classes (intervals)
(actually can procedure Histogram form these intervals by itself, but mostly are the limits of these automatically generated intervals not rounded and therefore the description of values' distribution is more inconvenient).
Following it is introduced, how to construct the frequency table with procedure Histogram.

1. To decide, how many and how big intervals to form, there must be knowledge about the count and range of values of studied variable.

- The count $n=54$ (Did you get the same number? How?) gives the hint, that the values of students head circuits should be divided into 7 or 8 intervals (because $\sqrt{ } 54 \approx 7,3$; at the same time this is not absolute truth, if it is more suitable, there can be formed also 6 or 9 intervals).
- The range of values is given by minimum and maximum value.

To find these characteristics there are several ways in Excel. The most quick variant is (look at the scheme in next page also):
a. select the cells containing values of study variable,
b. click with mouse right key on Status Bar under the worksheet and select wanted functions (for example Min),
c. the values of selected functions are displayed on the Status Bar.


- Maximal head girth is 75 and minimal 17 cm . Are these values real? If it is hard to imagine the girth, then maybe it is easier to imagine the diameter. But how to calculate the diameter? How big is the head diameter, if head girth is 17 cm ? And is this number really possible?
Hint. The girth is calculated as $P=2 \pi r$, from which the diameter is $d=2 r=P / \pi$ (to calculate the diameter corresponding to girth 17 cm in Excel you can use the formula ' $\left.=17 / \mathrm{PI}()^{\prime}\right)$. The result is 5.4 cm . To compare - the diameter of CD is 12 cm and the diameter of usual coffee cup is about 7 cm . So, the head girth 17 cm and corresponding head diameter 5.4 cm are clearly too small. Additionally there is one head girth value 40 cm in data table, which is also too small (corresponding head diameter is 12.7 cm ).
And the maximal value 75 cm is too big for head girth.
Obviously are values 17,40 and 75 cm measuring or typing errors.

As traditional statistical analyses methods are not derived to analyse unreal or very exceptional data, it is usual to omit these very different values. At the present situation it is the most reasonable to just delete the head girth vales 17,40 and 75 cm .

And to avoid future confusion these values should be deleted in both worksheets 'Praks2' ('Practical2') and 'Andmed' ('Data').

- Minimal head girth after deleting unreal values is 50 and maximal 62 cm .
- To find the approximate width of intervals the difference between maximal and minimal value must be divided by the desired number of intervals: $(62-50) / 7=1.7 \ldots$ cm .

To get round interval limits it is necessary to slightly increase or decrease the calculated value, also the number of intervals can be changed. At the present situation we can fix the width of intervals to $\mathbf{2 ~ c m}$.

- To fix the intervals' limits it is natural to start with the first interval and fix it in way that it contains the minimal value. At the present situation the first interval can be for example $48-50 \mathrm{~cm}$.
- Altogether we can form seven 2-centimeter intervals of students head girth: 48-50; 50-52; 52-54; 54-56; 56-58; 58-60; 60-62.
As Excel puts the values equal to interval limit into the lower interval, it is more correct to present the intervals as half-closed intervals (because how to known otherwise into witch interval belongs the value 41 cm , for example):

$$
(48,50],(50,52],(52,54],(54,56],(56,58],(58,60] \text { and }(60,62] .
$$

NB. But instead these intervals somebody can form also nine 1.5-centimeter intervals of the form (49;50.5], (50.5;52], (52;53.5], (53.5;55], (55;56.5], (56.5;58], (58;59.5], (59.5;61], (61;62.5]; or seven 2-centimeter intervals of the form

$$
(49,51],(51,53],(53,55],(55,57],(57,59],(59,61],(61,63] .
$$

- To give these intervals to Excel there must be constructed a special table containing the upper limits of intervals:
- Remarks:
- between initial data table and any additional tables should be at least one empty column (or row), why?;
- Excel understood the given values as follows:

| O | P | Q |
| :---: | ---: | ---: |
| SMOKE |  | He/d_upper_lim |
| 10 |  | 50 |
| 10 |  | 52 |
| 10 |  | 54 |
| 10 |  | 56 |
| 10 |  | 58 |
| 10 |  | 60 |
| 10 |  |  |

'51' means ' $\leq 51$ ';
'53' means ' $51<\mathrm{x} \leq 53$ '; ...

- there is no need to specify the last interval ' $\mathbf{~ 6 2 ~}^{\prime}=(\mathbf{6 0 , 6 2}$ ], because constructing the frequency table Excel automatically makes one class for all values not belonging into any given intervals. As all head girth values less or equal to 60 belong into specified intervals, the additionally made class will contain only values bigger than 60 .


Expected result of procedure Histogram:
(cumulative frequency shows the percentage, of values less or equal to the upper limit of interval)

| T |  | v |
| :---: | :---: | :---: |
| Head_upper_lir Frequency Culmulative \% |  |  |
| 50 | 1 | 1.96\% |
| 52 | 2 | 5.88\% |
| 54 | 4 | 13.73\% |
| 56 | 25 | 62.75\% |
| 58 | 16 | 94.12\% |
| 60 | 2 | 98.04\% |
| More | 1 | 100.00\% |

3. Add in front of the table real interval limits in the form of half-closed intervals.

| Head_upper_lir Frequency Cumulative \% |  |  |  |
| :--- | ---: | ---: | ---: |
| $(48,50]$ | 50 | 1 | $1.96 \%$ |
| $(50,52]$ | 52 | 2 | $5.88 \%$ |
| $(52,54]$ | 54 | 4 | $13.73 \%$ |
| $(54,56]$ | 56 | 25 | $62.75 \%$ |
| $(56,58]$ | 58 | 16 | $94.12 \%$ |
| $(58,60]$ | 60 | 2 | $98.04 \%$ |
| $(60,62]$ | More |  | 1 |

- Delete title and gridlines
- Remove the border around the chart area
- Add axes and fix the range of $y$-axis from 0 to 25 with step 5
- Add titles to $x$ - and $y$-axis
- Take gap between bars $=0$
- Format axis units and names with font size 10 and black color
- Fill the bars with favorite color and add darker countour to bars

NB! To select separate cells hold down the 'Ctrl'-key ...

4. Write down at least one sentence using absolute frequencies and one sentence using
cumulative frequencies.

## Exercise 2.

Use the PivotTable to describe the students' weight depending on the porridge eating.

## Guide

1. Put the cursor into data table (in worksheet 'Praks2').
2. Insert-tab $\rightarrow$ PivotTable
3. Place the output table under the data table:

4. 



| Row Labels | Sum of WEIGHT |
| :--- | ---: |
| no | 616 |
| sometimes | 717 |
| yes | 2200.5 |
| Grand Total | $\mathbf{3 5 3 3 . 5}$ |

5. Instead of sum of weights (calculated by Excel by default), calculate the count of students in different groups.


Informatics and biometry, VL. 0413
6. Calculate additionally average weights.


7. Calculate also standard deviations, minimal and maximal values of weights depending on porridge eating.

Result:

8. Round the averages and standard deviations to one decimal place (using corresponding command at Home-tab, for example).


Result:

| Row Labels | Count of WEIGHT | Average of WEIGHT | StdDev of WEIGHT | Min of WEIGHT: Max of WEIGHT |  |
| :--- | ---: | ---: | ---: | ---: | ---: |
| no | 9 | 68.4 | 12.0 | 50 | 85 |
| Sometimes | 11 | 65.2 | 11.6 | 52 | 87 |
| yes | 34 | 64.7 | 10.2 | 47.5 | 90 |
| Grand Total | 54 | $\mathbf{6 5 . 4}$ | $\mathbf{1 0 . 7}$ | $\mathbf{4 7 . 5}$ | $\mathbf{9 0}$ |

9. Present the table in form where different characteristics are in different rows and for each porridge-eating group corresponds own column:

|  | Column Li |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Values | no | sometimes yes | Grand Total |  |  |
| Count of WEIGHT | 9 | 11 | 34 | 54 |  |
| Average of WEIGHT | 68.4 | 65.2 | 64.7 | 65.4 |  |
| StdDev of WEIGHT | 12.0 | 11.6 | 10.2 | 10.7 |  |
| Min of WEIGHT2 | 50 | 52 | 47.5 | 47.5 |  |
| Max of WEIGHT3 | 85 | 87 | 90 | 90 |  |

Hint:

10. And now divide the table into rows according to the variable 'CAR' values and omit one student who did not know does she or he have a car or not.

Expected result:

| Row Labels $\quad 7$ | Column no | sometimes yes |  | Grand Total |
| :---: | :---: | :---: | :---: | :---: |
| no |  |  |  |  |
| Count of WEIGHT | 4 | 5 | 13 | 22 |
| Average of WEIGHT | 69.0 | 62.8 | 63.6 | 64.4 |
| StdDev of WEIGHT | 11.7 | 8.0 | 10.4 | 9.9 |
| Min of WEIGHT2 | 58 | 52 | 50 | 50 |
| Max of WEIGHT3 | 85 | 73 | 90 | 90 |
| yes |  |  |  |  |
| Count of WEIGHT | 5 | 5 | 21 | 31 |
| Average of WEIGHT | 68.0 | 70.2 | 65.4 | 66.6 |
| StdDev of WEIGHT | 13.5 | 13.8 | 10.3 | 11.1 |
| Min of WEIGHT2 | 50 | 53 | 47.5 | 47.5 |
| Max of WEIGHT3 | 82 | 87 | 82 | 87 |
| Total Count of WEIGHT | 9 | 10 | 34 | 53 |
| Total Average of WEIGHT | 68.4 | 66.5 | 64.7 | 65.7 |
| Total StdDev of WEIGHT | 12.0 | 11.3 | 10.2 | 10.6 |
| Total Min of WEIGHT2 | 50 | 52 | 47.5 | 47.5 |
| Total Max of WEIGHT3 | 85 | 87 | 90 | 90 |

11. Try different PivotTable layouts (sometimes helps some layout better understand the structure of the table):

Hint:

12. Can you say something about each number in the last table?

## Write down some sentences about similarities or differences of average body weights of students

- depending on car owning,
- depending on porridge eating.

